



## Measuring Economic Exposure

### A Measure Based on Accounting Data

It requires to estimate the net cash flows of the firm (EAT or EBT) under several FX scenarios. (Easy with an excel spreadsheet.)

**Example:** IBM HK provides the following info:

Sales and cost of goods are dependent on  $S_t$

	$S_t = 7 \text{ HKD/USD}$	$S_t = 7.70 \text{ HKD/USD}$
Sales (in HKD)	300M	400M
Cost of goods (in HKD)	<u>150M</u>	<u>200M</u>
Gross profits (in HKD)	150M	200M
Interest expense (in HKD)	<u>20M</u>	<u>20M</u>
EBT (in HKD)	<b>130M</b>	<b>180M</b>

### **Example (continuation):**

A 10% depreciation of the HKD, increases the HKD cash flows from HKD 130M to HKD 180M, and the USD cash flows from USD 18.57M to USD 23.38.

Q: Is EE significant?

A: We can calculate the elasticity of CF to changes in  $S_t$ :

CF elasticity = % change in earnings / % change in  $S_t = .259/.10 = 2.59$

Interpretation: We say, a 1% depreciation of the HKD produces a change of 2.59% in EBT. Quite significant. But you should note that the change in exposure is USD 4.81M. This amount might not be significant for IBM! (Judgment call needed.) ¶

Note: Obviously, firms will simulate many scenarios to gauge the sensitivity of EBT to changes in exchange rates.

### A Regression based Measure and a Test

The CF elasticity gives us a measure, but it is not a test of EE. We still need a judgement call.

We know it is easy to test regression coefficients (t-tests or F-tests). We use a regression to test for EE.

• Simple steps:

(1) Collect data on CF and  $S_t$  (available from the firm's past)

(2) Estimate the regression:  $\Delta CF_t = \alpha + \beta \Delta S_t + \xi_t$ ,

$\Rightarrow \beta$  measures the sensitivity of  $\Delta CF$  to changes in  $\Delta S_t$ .

$\Rightarrow$  the higher  $\beta$ , the greater the impact of  $\Delta S_t$  on CF.

(3) Test for EE  $\Rightarrow H_0$  (no EE):  $\beta = 0$

$H_1$  (EE):  $\beta \neq 0$

(4) Evaluation of this regression: t-statistic of  $\beta$  and  $R^2$ .

Rule:  $|t_\beta = \beta/SE(\beta)| > 1.96 \Rightarrow \beta$  is significant at the 5% level.

• We know that other variables also affect stock returns, for example, the market portfolio, or the Fama-French factors.

One way to “control” for the changes in other variables that affect cash flows is to use a multivariate regression:

$$\Delta CF_t = \alpha + \beta \Delta S_t + \delta_1 X_{1,t} + \delta_2 X_{2,t} + \dots + \delta_k X_{k,t} + \varepsilon_t$$

where  $X_{i,t}$  represent one of the  $k$ th variable that affects CFs.

Note: Sometimes the impact of  $\Delta S_t$  is not felt immediately by a firm.

$\Rightarrow$  contracts and short-run costs (short-term adjustment difficult).

**Example**: For an exporting U.S. company a sudden appreciation of the USD increases CF in the short term. Solution: use a modified regression:

$$\Delta CF_t = \alpha + \beta_0 \Delta S_t + \beta_1 \Delta S_{t-1} + \beta_2 \Delta S_{t-2} + \beta_3 \Delta S_{t-3} + \delta_1 X_{1,t} + \dots + \xi_t$$

The sum of the  $\beta$ s measures the sensitivity of CF to  $\Delta S_t$ .

### An Easy Measure of EE Based on Financial Data

Accounting data can be manipulated. Moreover, international comparisons may be difficult. We can use financial data –stock prices!

We can easily measure how returns and  $\Delta S_t$  move together: correlation.

**Example:** Kellogg's and Walt Disney's EE.

Using monthly stock returns for Kellogg's ( $Kret_t$ ) and monthly changes in  $S_t$  (USD/EUR) from 1/1990-7/2018, we estimate  $\rho_{K,e}$  (correlation between  $Kret_t$  and  $e_{f,t}$ ) = 0.223.

It looks small, but away from zero. We do the same exercise for Walt Disney, obtaining  $\rho_{DIS,e}$  = 0.076, small and close to zero. ¶

- Better measure: 1) Run a regression on  $\Delta CF$  against (unexpected)  $\Delta S_t$ .  
2) Check statistical significance of regression coeff's.

**Example:** IBM's EE.

Now, using the IBM data, we run the regression:

$$IBMret_t = \alpha + \beta e_{f,t} + \xi_t$$

$R^2 = 0.003102$

Standard Error = 0.09462

Observations = 169

	<i>Coefficients</i>	<i>Standard Error</i>	<i>t-Stat</i>	<i>P-value</i>
Intercept ( $\alpha$ )	0.016283	0.007297	2.231439	0.026983
Changes in $S_t$ ( $\beta$ )	-0.20322	0.2819	<b>-0.72089</b>	0.471986

Analysis:

We cannot reject  $H_0$ , since  $|t_\beta = -0.72| < 1.96$  (not significantly different than zero).

Again, the  $R^2$  is very low. (The variability of  $s_t$  explains less than 0.3% of the variability of IBM's returns.) ¶

**Example:** Kellogg's EE.

Now, using the data from the previous example, we run the regression:

$$\text{Kret}_t = \alpha + \beta e_{f,t} + \xi_t$$

$$R^2 = 0.0275$$

$$\text{Standard Error} = 0.05645$$

$$\text{Observations} = 343$$

	<i>Coefficients</i>	<i>Standard Error</i>	<i>t-Stat</i>	<i>P-value</i>
Intercept ( $\alpha$ )	0.005684	0.003051	1.863278	0.063283
$e_{f,t}$ ( $\beta$ )	0.474442	0.152735	<b>3.106302</b>	0.002053

Analysis:

We reject  $H_0$ , since  $|t_\beta| = 3.10| > 1.96$  (significantly different than zero).

Note, however, that the  $R^2$  is very low! (The variability of  $s_t$  explains less than 2.4% of the variability of Kellogg's returns.) ¶

- Returns are not only influenced  $e_{f,t}$ . We run a multivariate regression to test for EE; including not only  $e_{\text{USD/TWC},t}$ , but, say, also the FF factors: excess market returns over T-bill rates,  $(R_m - R_f)_t$ , Size (SMB) and Book-to-Market (HML):

**Example (continuation):** Kellogg's EE.

$$R^2 = 0.0761$$

$$\text{Standard Error} = 0.05539$$

$$\text{Observations} = 342$$

	Coefficients	Standard Error	t Stat	P-value
<b>Intercept</b>	0.003628	0.003047	1.190654	0.234627
<b>Market (<math>R_m - R_f</math>)</b>	0.320746	0.076858	<b>4.173255</b>	3.83E-05
<b>Size (SMB)</b>	-0.1135	0.098942	-1.14718	0.252121
<b>B-M (HML)</b>	0.086802	0.105397	0.823569	0.410767
$e_{f,t}$ ( $\beta$ )	<b>0.285396</b>	0.156486	<b>1.823781</b>	0.069071

$R^2 = .0903$  (a higher value driven mainly by the market factor). But, looking at EE, the t-stat is now **1.82**, (not significant at 5% level). Cannot reject the  $H_0$ : No EE economic exposure. ¶

• Using this multivariate regression we cannot reject the  $H_0$ : No EE economic exposure. ¶

**Evidence:** For large companies (MNCs, Fortune 500),  $\beta$  is not significantly different than zero. We cannot reject  $H_0$ : No EE.

### **EE: Evidence**

The above regression (done for Kellogg) has been done repeatedly for firms around the world.

Recent paper by Ivanova (2014):

- Mean  $\beta$  equal to 0.57 (a 1% USD depreciation increases returns by 0.57%).
- But, only 40% of the EE are statistically significant at the 5% level.
- For large firms (MNCs), EE is small –an average  $\beta=0.063$ – and not significant at the 5% level.
- 52% of the EEs come from U.S. firms that have no international transactions (a higher  $S_t$  “protects” these domestic firms).

Summary: On average, large companies (MNCs, Fortune 500) are not EE. EE is a problem of small and medium, undiversified firms.